

## 5.123 elementn

	DESCRIPTION	LINKS	AUTOMATON
<b>Origin</b>	P. Flener		
<b>Constraint</b>	elementn(INDEX, TABLE, ENTRIES)		
<b>Arguments</b>	INDEX : dvar TABLE : collection(value-int) ENTRIES : collection(entry-dvar)		
<b>Restrictions</b>	INDEX ≥ 1 INDEX ≤  TABLE  -  ENTRIES  + 1  TABLE  ≥  ENTRIES  required(TABLE, value) required(ENTRIES, entry)		
<b>Purpose</b>	$\forall i \in [1,  ENTRIES ] : ENTRIES[i].entry = TABLE[INDEX + i - 1].value$		
<b>Example</b>	$\left( 3, \langle 6, 9, 2, 9 \rangle, \langle 2, 9 \rangle \right)$ <p>The elementn constraint holds since its third argument ENTRIES = ⟨2, 9⟩ is set to the subsequence starting at the third (i.e., INDEX = 3) item of the table TABLE = ⟨6, 9, 2, 9⟩.</p>		
<b>Typical</b>	TABLE  > 1 range(TABLE.value) > 1  ENTRIES  > 1		
<b>Symmetry</b>	All occurrences of two distinct values in TABLE.value or ENTRIES.entry can be swapped; all occurrences of a value in TABLE.value or ENTRIES.entry can be renamed to any unused value.		
<b>Usage</b>	The elementn constraint is useful for extracting of subsequence of fixed length from a given sequence.		
<b>Reformulation</b>	Let $I_1 = INDEX, I_2 = INDEX + 1, \dots, I_{ ENTRIES } = INDEX +  ENTRIES  - 1$ . The elementn(INDEX, TABLE, ⟨entry - E <sub>1</sub> , entry - E <sub>2</sub> , ..., entry - E <sub> ENTRIES </sub> ⟩) constraint can be expressed in term of a conjunction of  ENTRIES  element constraints of the form: element(I <sub>1</sub> , TABLE, E <sub>1</sub> ), element(I <sub>2</sub> , TABLE, E <sub>2</sub> ), ... element(INDEX +  ENTRIES  - 1, TABLE, E <sub> ENTRIES </sub> ).		
<b>See also</b>	<b>common keyword:</b> element (data constraint).		

**Keywords**

**characteristic of a constraint:** automaton, automaton without counters, reified automaton constraint.

**constraint network structure:** Berge-acyclic constraint network.

**constraint type:** data constraint, sliding sequence constraint.

**filtering:** arc-consistency.

**modelling:** table.

**Automaton**

Figure 5.253 depicts the automaton associated with the `elementn` constraint of the **Example** slot. Let  $I$  and  $E_k$  respectively denote the `INDEX` argument and the `entry` attribute of the  $k^{th}$  item of the `ENTRIES` collection. Figure 5.254 depicts the reformulation of the `elementn` constraint.

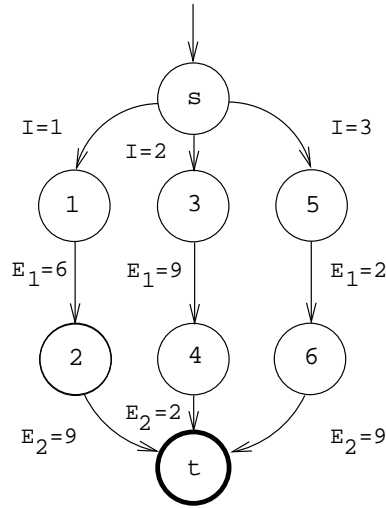


Figure 5.253: Automaton of the `elementn` constraint given in the example

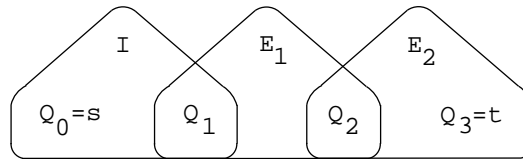


Figure 5.254: Hypergraph of the reformulation corresponding to the automaton of the `elementn` constraint

